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> restart :
> interface(warnlevel=0) :          #` Maple 12`
> with(plots) :
> with(LinearAlgebra) :

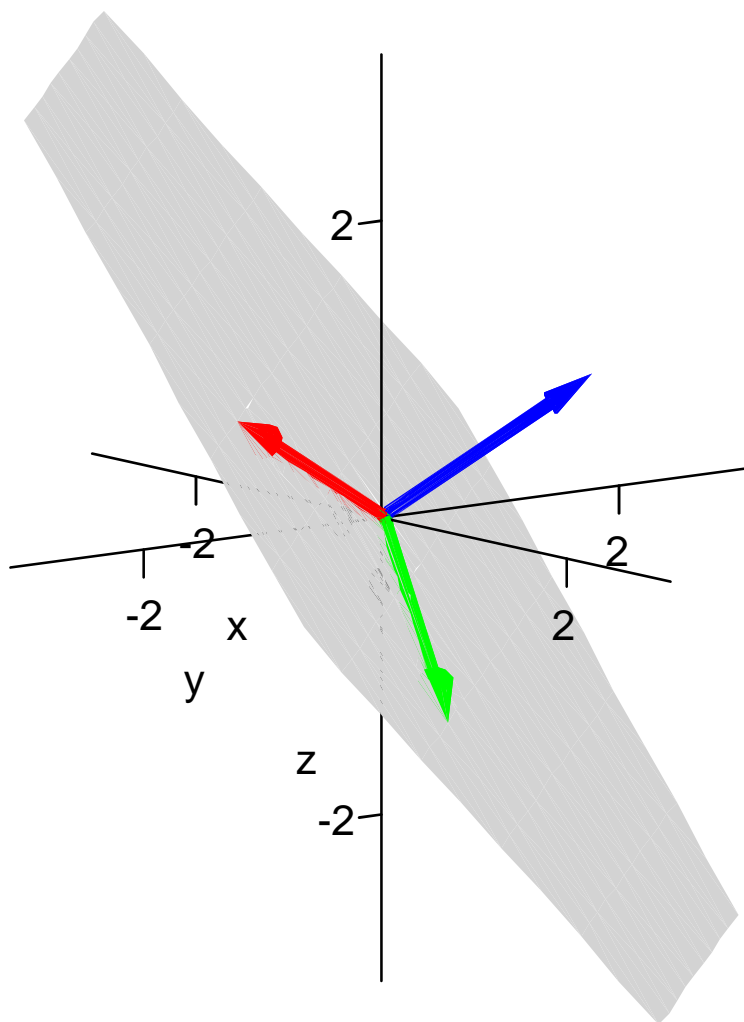
```

Vectors: problem #2

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> f := x + y + z = 0 : # equation of a plane perpendicular to vector  $\mathbf{A} = \mathbf{i} + \mathbf{j} + \mathbf{k}$ 
p := implicitplot3d(f, x = -3 .. 3, y = -3 .. 3, z = -3 .. 3, axes = normal,
style = patchnogrid, color = "LightGray") :
A := Vector([1, 1, 1]) :
V1 := Vector([1, -2, 1]) :
V2 := Vector([2, -1, -1]) :
a := arrow(A, color = blue) :      # vector normal to the plane  $\mathbf{A} = \mathbf{i} + \mathbf{j} + \mathbf{k}$ 
b := arrow(V1, color = red) :      # vector in the plane  $\mathbf{V}_1 = \mathbf{i} - 2\mathbf{j} + \mathbf{k}$ 
c := arrow(V2, color = green) :    # vector in the plane  $\mathbf{V}_2 = 2\mathbf{i} - \mathbf{j} - \mathbf{k}$ 
display([p, a, b, c], tickmarks = [4, 4, 4], orientation = [-38, 80]);

```



Determining the inner/dot products

> *DotProduct*(A, V1);

0 (1)

> *DotProduct*(A, V2);

0 (2)

> *DotProduct*(V1, V2);

3 (3)

Determining the angle between vectors V_1 and V_2

> $\alpha := \cos^{-1} \left(\frac{\text{DotProduct}(V1, V2)}{\text{VectorNorm}(V1, \text{Euclidean}) \cdot \text{VectorNorm}(V2, \text{Euclidean})} \right);$
 $\alpha := \alpha \cdot \left(\frac{180}{\pi} \right); \# \text{ convert to degrees}$

$\alpha := \frac{1}{3} \pi$

$\alpha := 60$ (4)